

The lowa Gambling Task

- The lowa Gambling Task (IGT) is widely used to study decision making in both healthy and clinical populations. The IGT involves a complex interplay between multiple decision making processes but cognitive models may be used to better understand the multiple facets of choice behavior.
- Past modeling work with the IGT has focused on many types of models including: heuristic models [1][2], Bayesian updating models [1], expectancy-valence models [1][3], and hybrid models [4]. None of these models, however, show good performance for both short (e.g. one-step-ahead) and long-term (e.g. simulation) prediction accuracy [3; 5]. This suggests that we are still in need of a better model to explain choice behavior on the IGT.
- Our goal was to develop a new model for the IGT that shows excellent performance for both short and long-term prediction. We developed a new model using post-hoc fits, simulation, and parameter recovery. The new model addresses concerns made by previous studies by explicitly modeling frequency of outcomes in combination with expected value and a perseverance strategy.
- To accurately assess the new model's performance relative to existing models, we compared it with: (1) the Prospect-Valence Learning model with Delta rule (PVL Delta), and (2) the Value-Plus-Perseverance model (VPP). We chose these models because a previous study [6] showed that the PVL Delta performs excellent for simulation and parameter recovery while the VPP performs excellent for post-hic fit.





- - criterion (WAIC) and Leave One Out information criterion (LOOIC))
 - 2. Simulation performance (refer to [6])
 - 3. Parameter recovery performance (refer to [6])

Testing reinforcement learning models for the lowa Gambling Task

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> PVL Delta and VPP

Utility function:

Value Updating:

Perseverance: (VPP only)

Total Value: (VPP only)

Choice Sensitivity:

Action Selection:

 $+A \cdot (u(t) - E(t))$ $_{j}(t) + \epsilon_{p}, \quad \text{if } x(t) \ge 0$ $P_j(t) + \epsilon_n, \quad \text{if } x(t) < 0$ $(+1) + (1-\omega) \cdot P_i(t+1)$ $c^{c} - 1$ * Both models are available in the hBayesDM R package $P_j(t+1) = 1$, and $P_{j'}(t+1) = k \cdot P_{j'}(t)$ Softmax with $V_i(t+1)$ * Will be made available in the hBayesDM R package

$$E_j(t+1) = E_j(t)$$

$$P_j(t+1) = \begin{cases} k \cdot P_j \\ k \cdot P_j \end{cases}$$

$$V_j(t+1) = \omega \cdot E_j(t + 1)$$

$$\theta = 3$$

 $u(t) = \begin{cases} x(t)^{\alpha}, & \text{if } x(t) \ge 0\\ -\lambda |x(t)|^{\alpha}, & \text{if } x(t) < 0 \end{cases}$

Proposed Model

Softmax with θ (inverse temperature) and $E_i(t+1)$ for PVL, or $V_i(t+1)$ for VPP. Value Updating: $E_j(t+1) = \begin{cases} E_j(t) + A_{rew} \cdot (x(t) - E_j(t)), & \text{if } x(t) > 0 \\ E_j(t) + A_{pun} \cdot (x(t) - E_j(t)), & \text{if } x(t) \le 0 \end{cases}$ $F_{j}(t+1) = \begin{cases} F_{j}(t) + A_{rew} \cdot (\operatorname{sign}(x(t)) - F_{j}(t)), & \text{if } x(t) > 0\\ F_{j}(t) + A_{pun} \cdot (\operatorname{sign}(x(t)) - F_{j}(t)), & \text{if } x(t) \le 0 \end{cases}$ $F_{j'}(t+1) = \begin{cases} F_{j'}(t) + A_{pun} \cdot (-\operatorname{sign}(x(t)) - F_{j'}(t)), & \text{if } x(t) > 0\\ F_{j'}(t) + A_{rew} \cdot (-\operatorname{sign}(x(t)) - F_{j'}(t)), & \text{if } x(t) \le 0 \end{cases}$ $V_{j}(t+1) = E_{j}(t+1) + \beta_{F} \cdot F_{j}(t+1) + \beta_{P} \cdot P_{j}(t+1)$

Fictive Frequency Updating:

Frequency

Updating:

Perseverance:

Total Value:

Action Selection:

Results: WAIC & LOOIC			
	WAIC	LOOIC	Number of Parameters
PVL Delta	12319	I2357	4
VPP	11543	11581	8
Proposed Model	11532	11604	5

Lower WAIC and LOOIC indices indicate better fits.

The Proposed model and the VPP perform similarly in terms of post-hoc fits (one-step-ahead prediction accuracy).

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Models

